

Marcin Kędzierski

Amorphous Phase Separation as a Precursor for Nanocrystallization



december 2007

Presentation outline



- Theoretical preliminaries
 - Fick's law
 - Regular solution model
 - Phase separation
 - Amorphous phase -> structure & technology
- Experiment & data analysis
 - DSC
 - WAXS
 - Mean grain size
 - Crystalline volume fraction
 - SAXS:
 - Exponential amplification in the early stage
 - Scaling in the intermediate and late stages
 - Pair distribution function based on experiment and simulation

Fick's law



$$j = -D \frac{d\phi}{dx}$$

Fick's law



$$j = -D \frac{d\phi}{dx} \longrightarrow j = -M \frac{d\mu}{dx}$$

Regular solution model

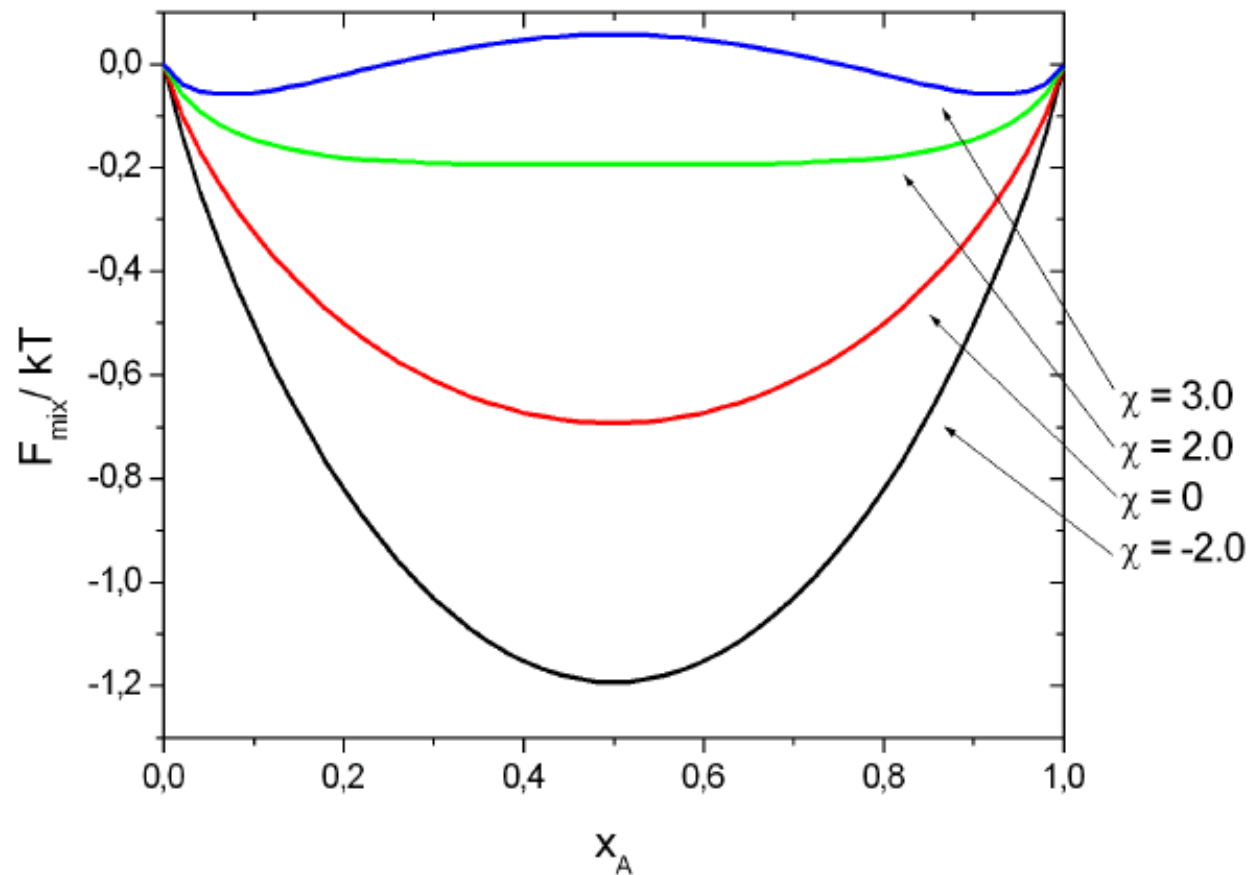
$$S_{mix} = -k(x_A \cdot \ln x_A + x_B \cdot \ln x_B)$$

$$U_{mix} = kT \cdot \chi x_A x_B$$

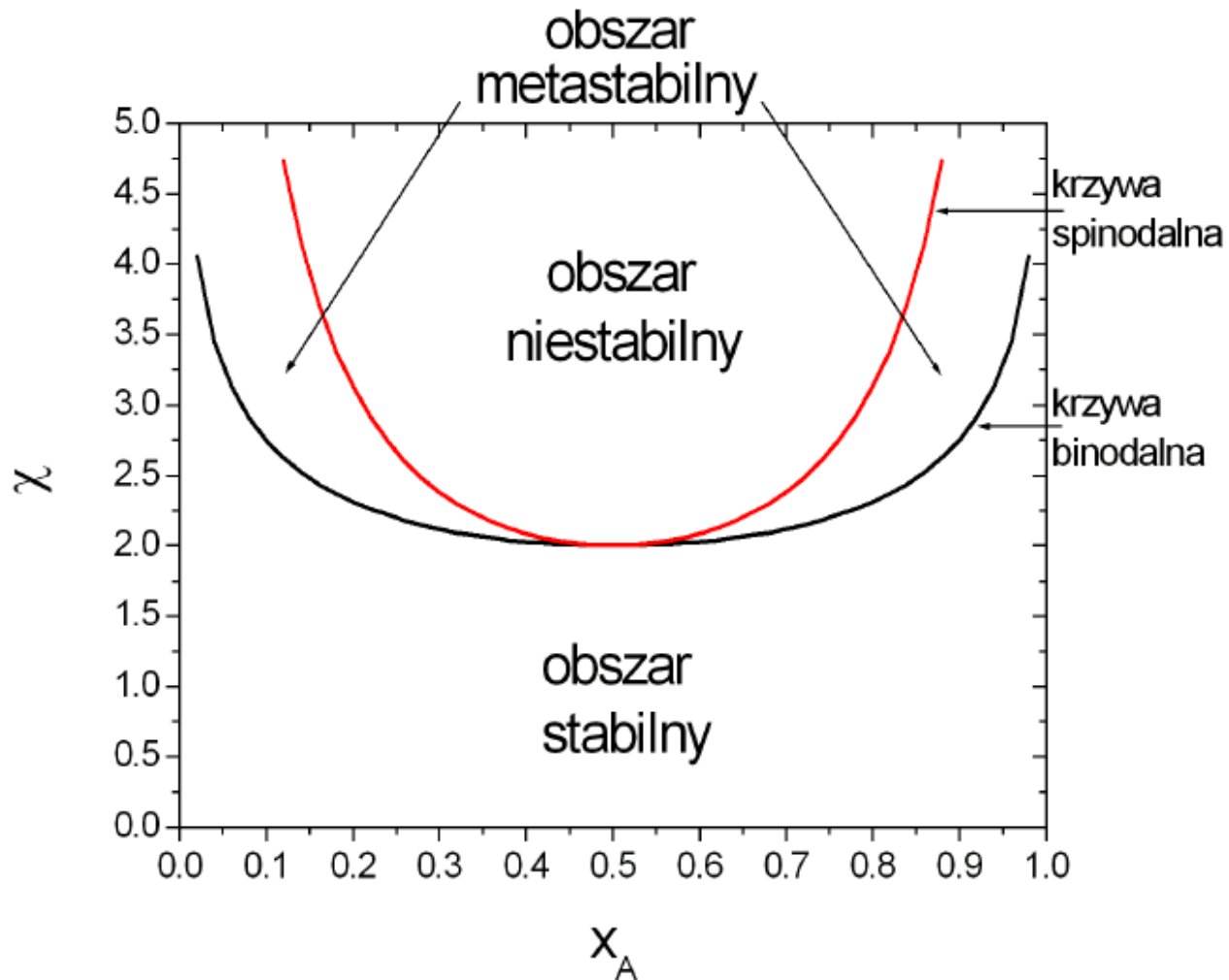
$$\chi = \frac{Z}{2kT} (2\varepsilon_{AB} - \varepsilon_{AA} - \varepsilon_{BB})$$

$$\frac{F_{mix}}{kT} = x_A \ln x_A + x_B \ln x_B + \chi x_A x_B$$

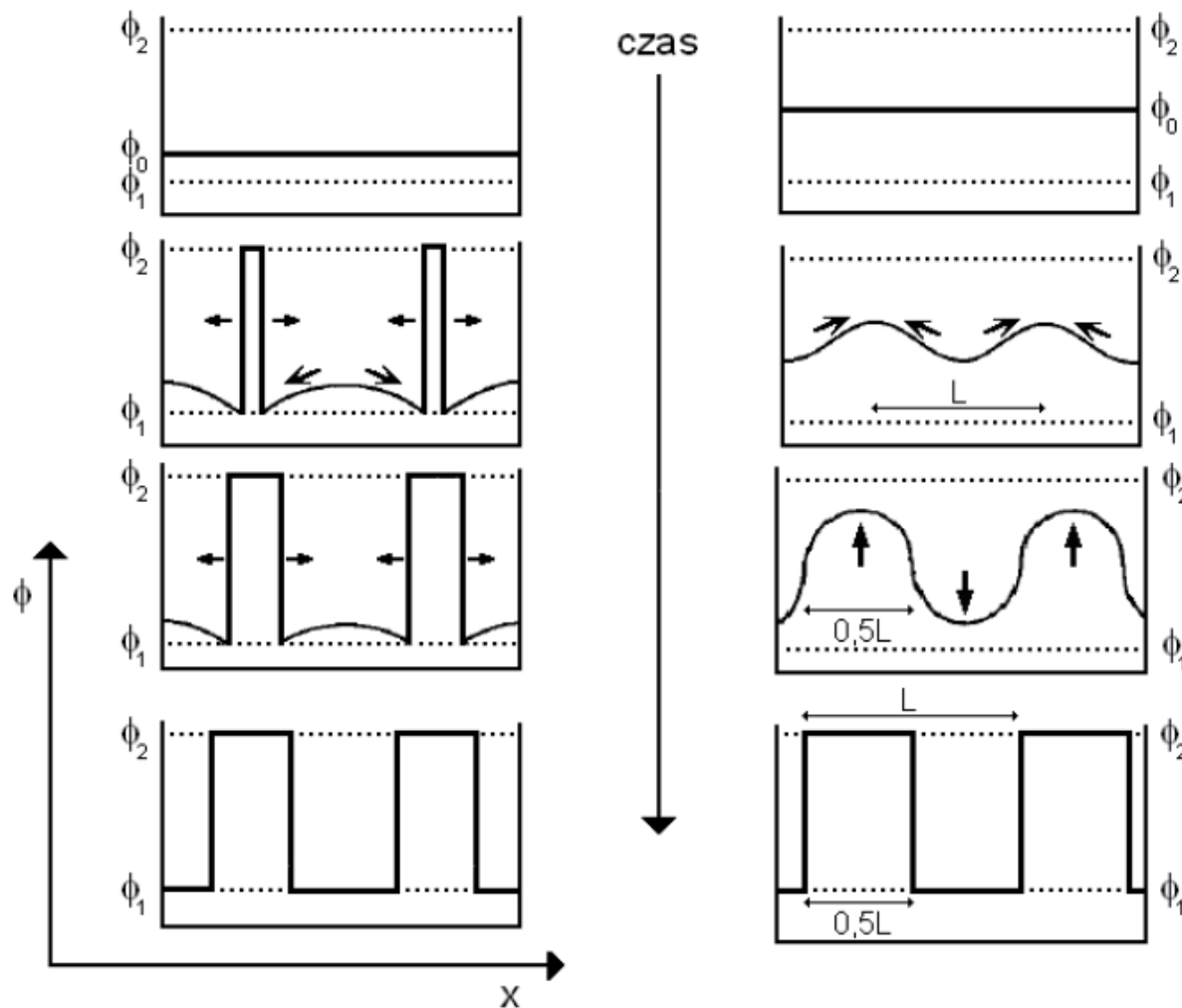
Regular solution model



Regular solution model



Spinodal decomposition vs nucleation & growth



Spinodal decomposition theory

$$f(\phi, \nabla \phi) = f_0(\phi) + K|\nabla \phi|^2$$

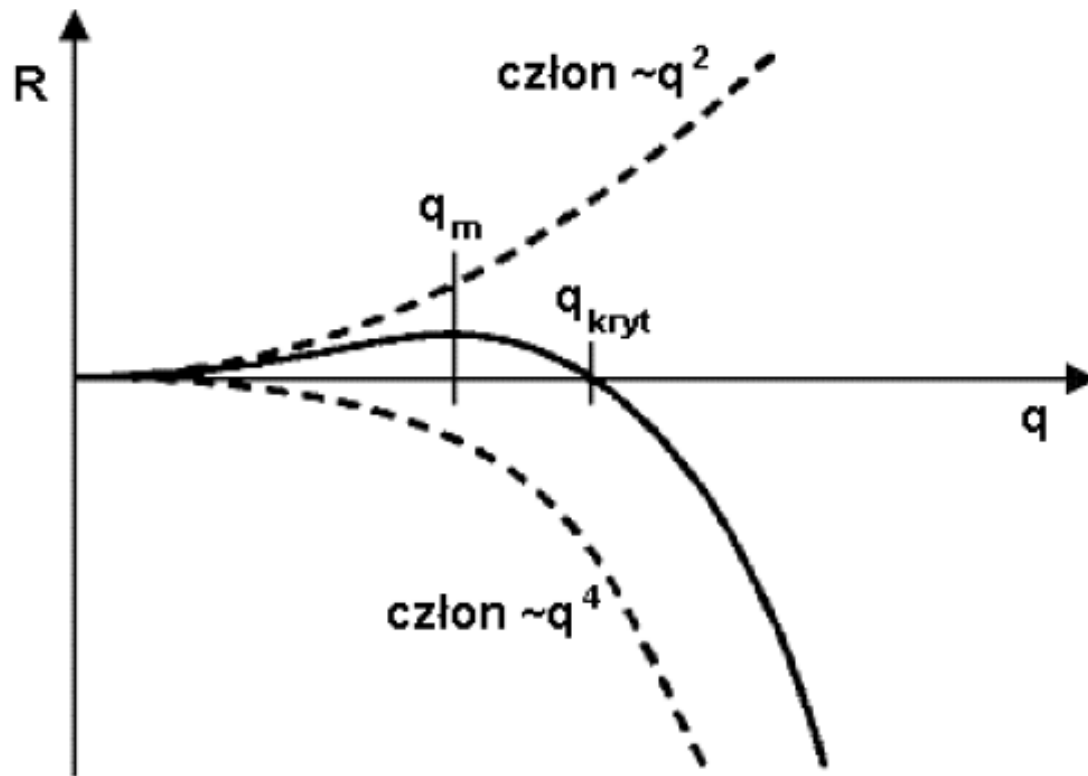
+ modified Fick's law

+ assumption: M is independent of local concentration

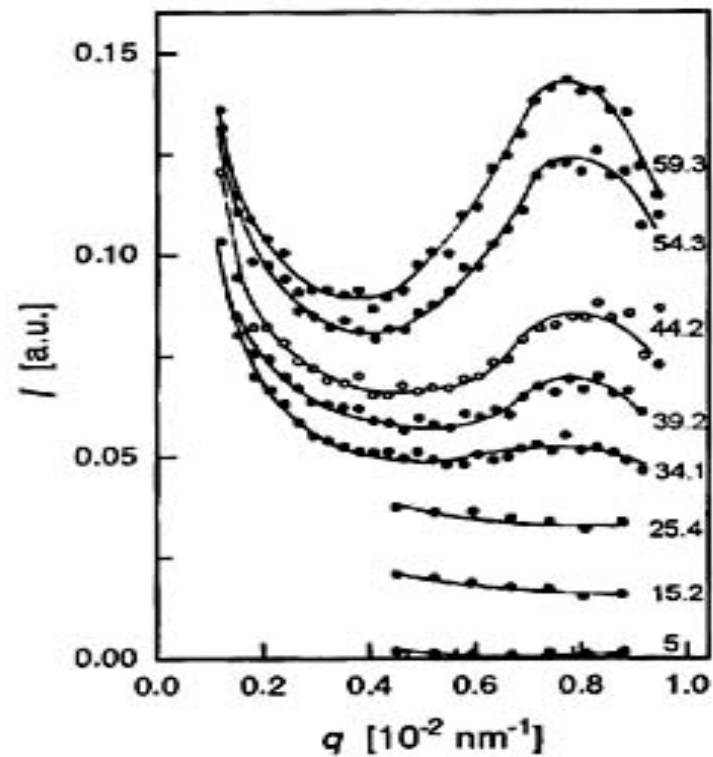
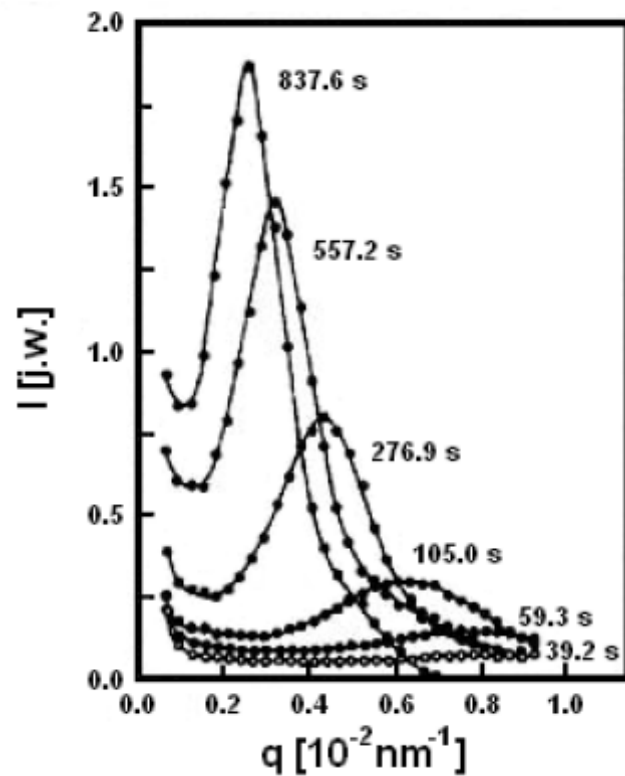
+ equation of continuity

$$\begin{aligned} \rightarrow \frac{\partial \phi}{\partial t} &= Mf_0'' \frac{\partial^2 \phi}{\partial x^2} + 2MK \frac{\partial^4 \phi}{\partial x^4} \\ &\downarrow \\ \phi(x, t) &= \phi_0 + A \sin(qx) \exp(R(q)t) \\ R(q) &= -Dq^2 \left(1 + \frac{2Kq^2}{f_0''} \right) \end{aligned}$$

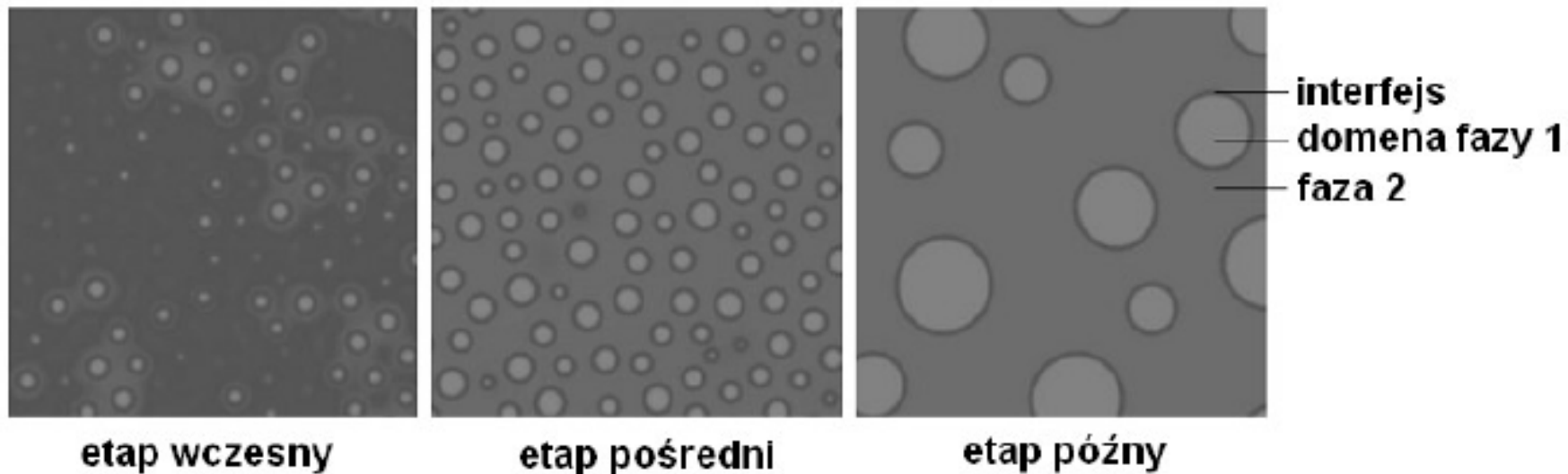
Amplification factor



Example: polymer solution



Nonlinear Cahn-Hilliard equation



Scaling

$$L(t) \sim t^s$$

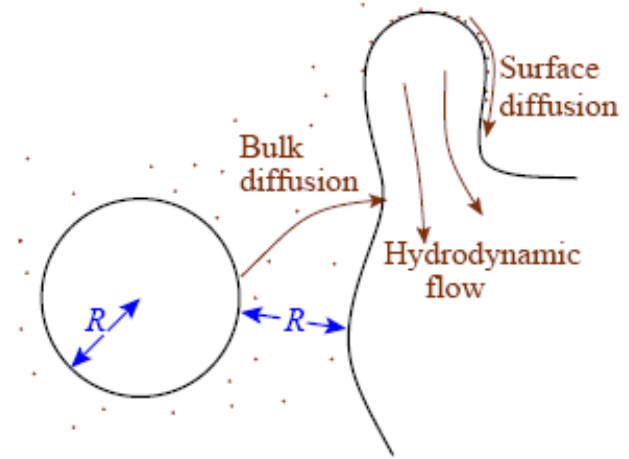
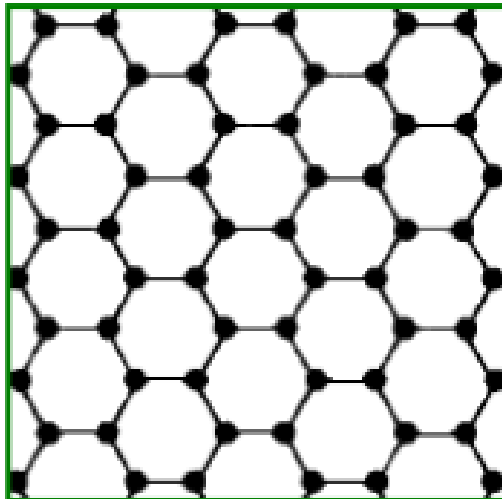


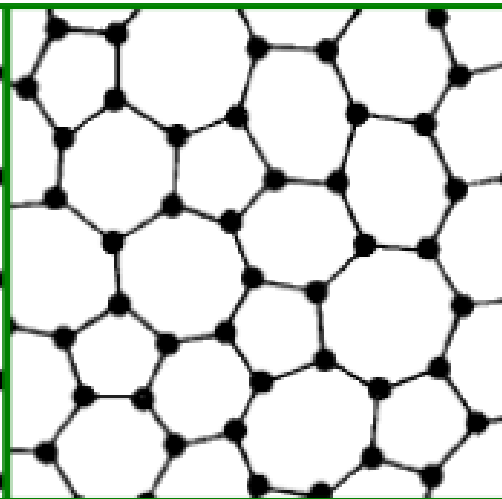
Fig. 11.9 Coarsening for conserved order parameter. Differences in local mean curvature drives the growth in the case of a conserved order parameter. Atoms will diffuse from regions of high positive curvature to regions of low or negative curvature. Bulk diffusion dominates on long length scales ($L(t) \sim t^{1/3}$); surface diffusion can be important when the scales are small ($L(t) \sim t^{1/4}$). For liquids, hydrodynamic flow makes things more complicated [134].

Amorphous phase - structure

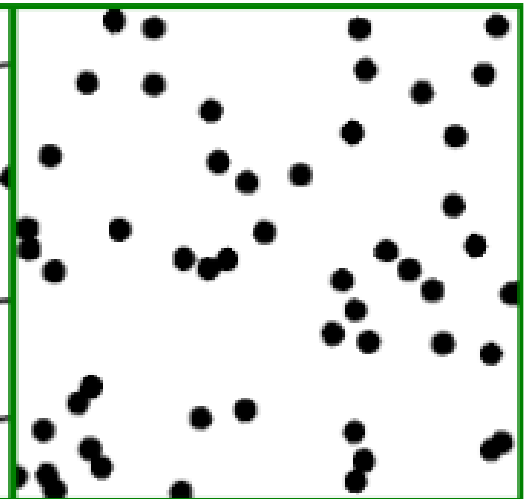
a) kryształ



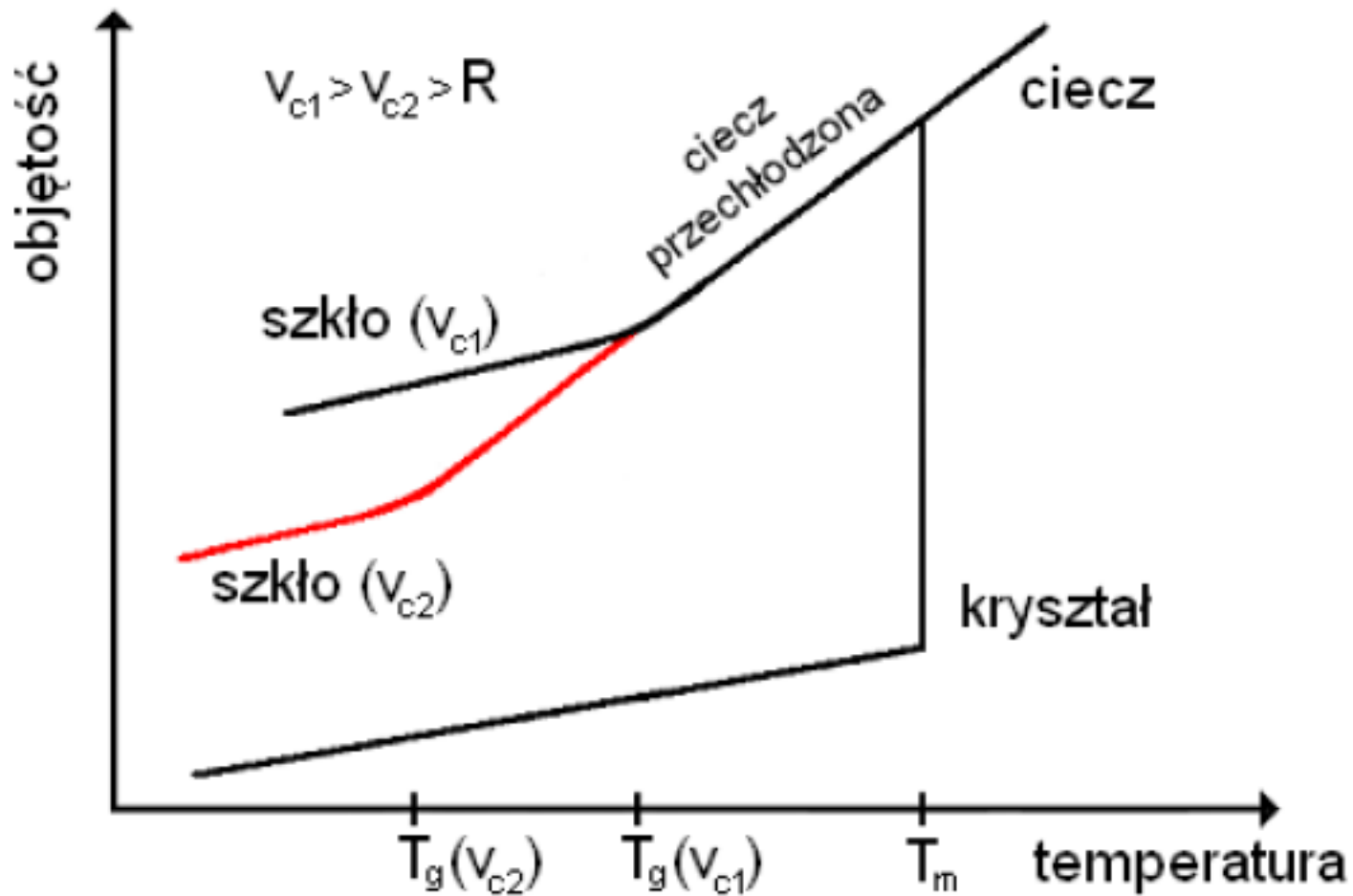
b) szkło



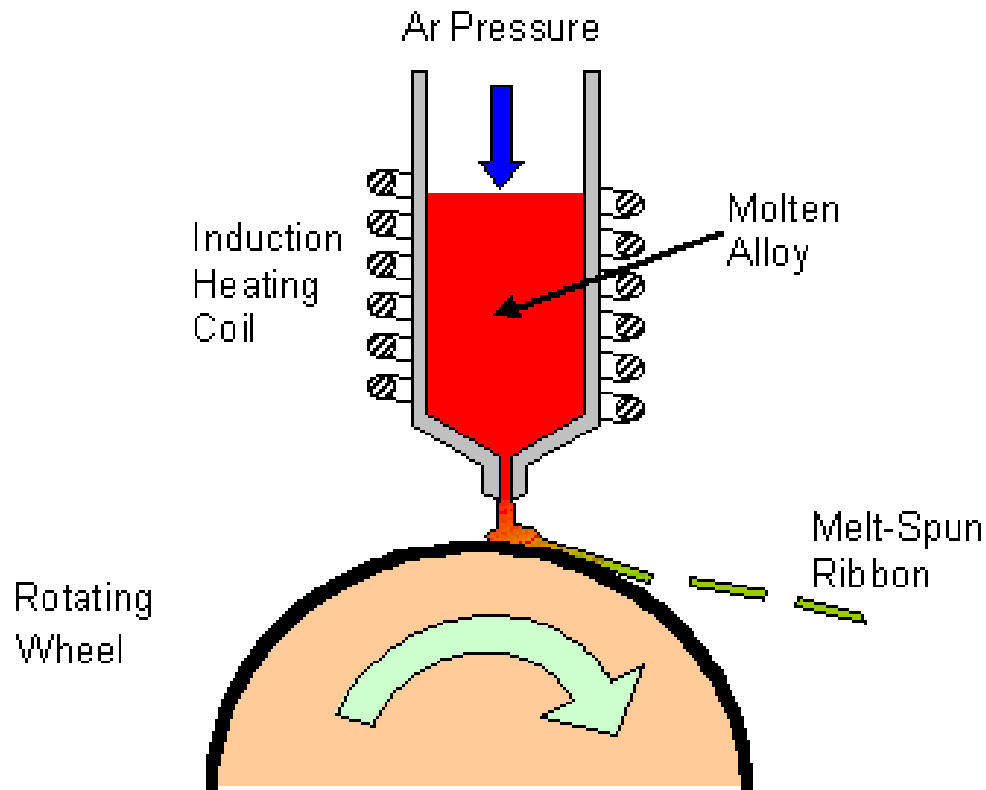
c) gaz



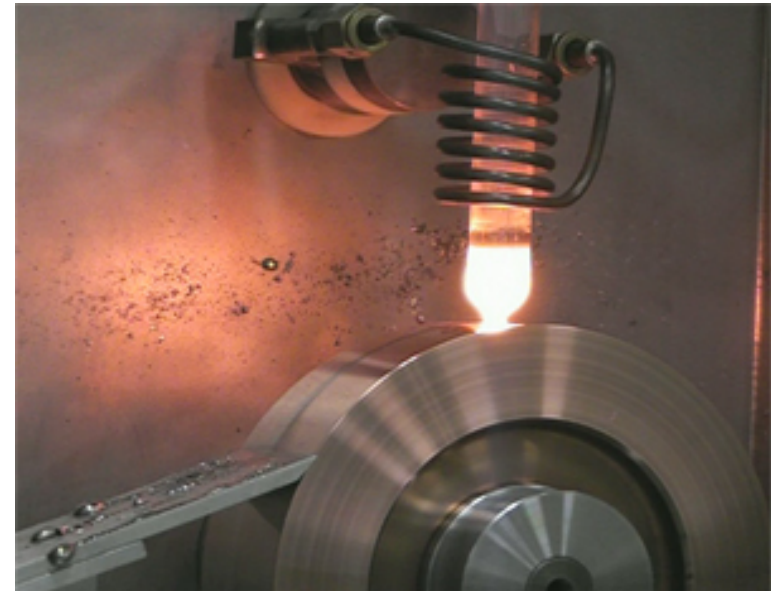
Amorphous phase - technology



Melt-spinning



cooling rate $\sim 10^6$ K/s



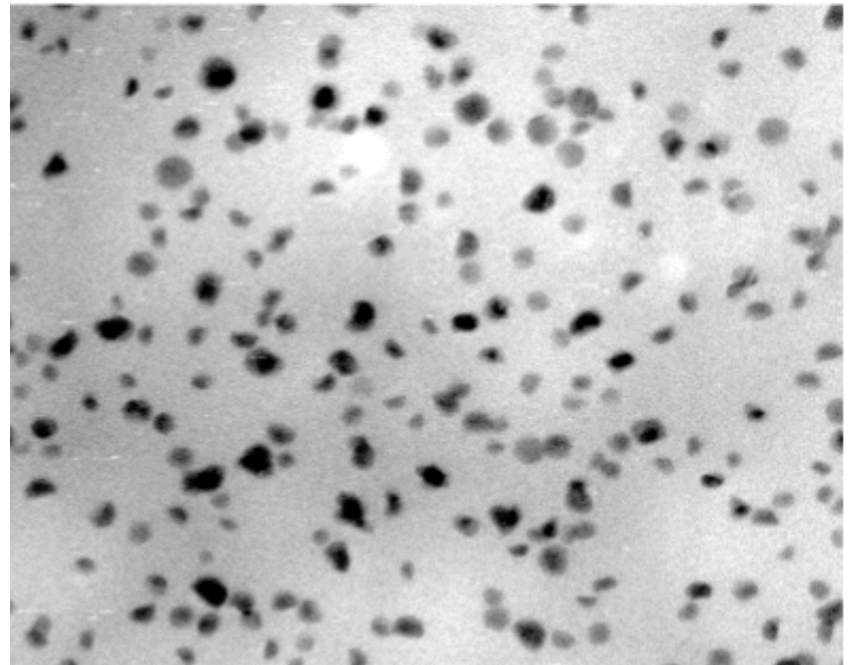
Amorphous aluminium alloys



- Al-RE, Al-TM-RE
RE = Sm, Gd, Tb, Dy, Y...; TM = Fe, Ni, Co,...
- High strength-to-weight ratio
- Good ductility

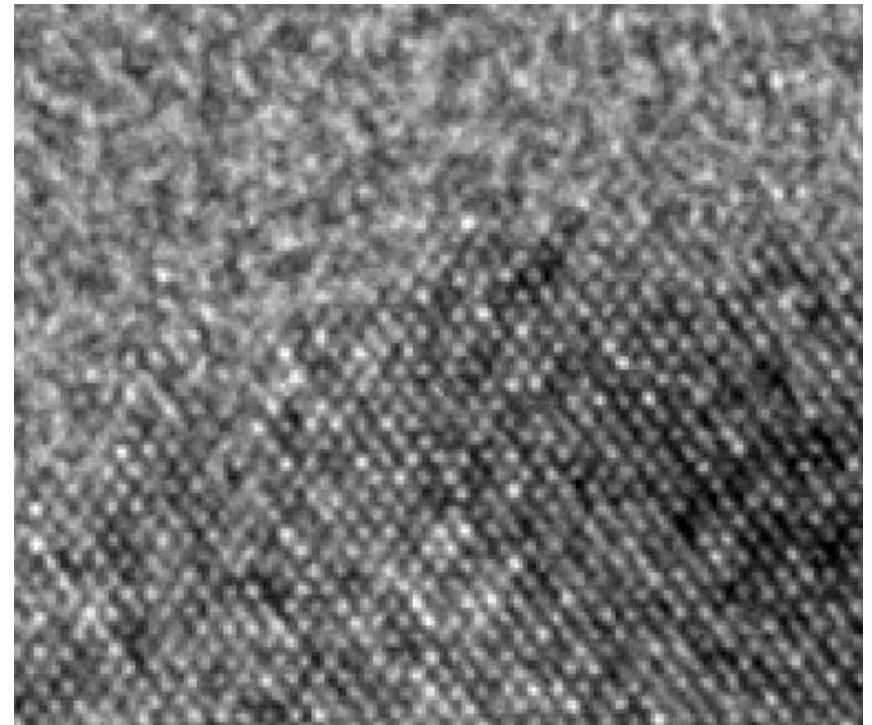
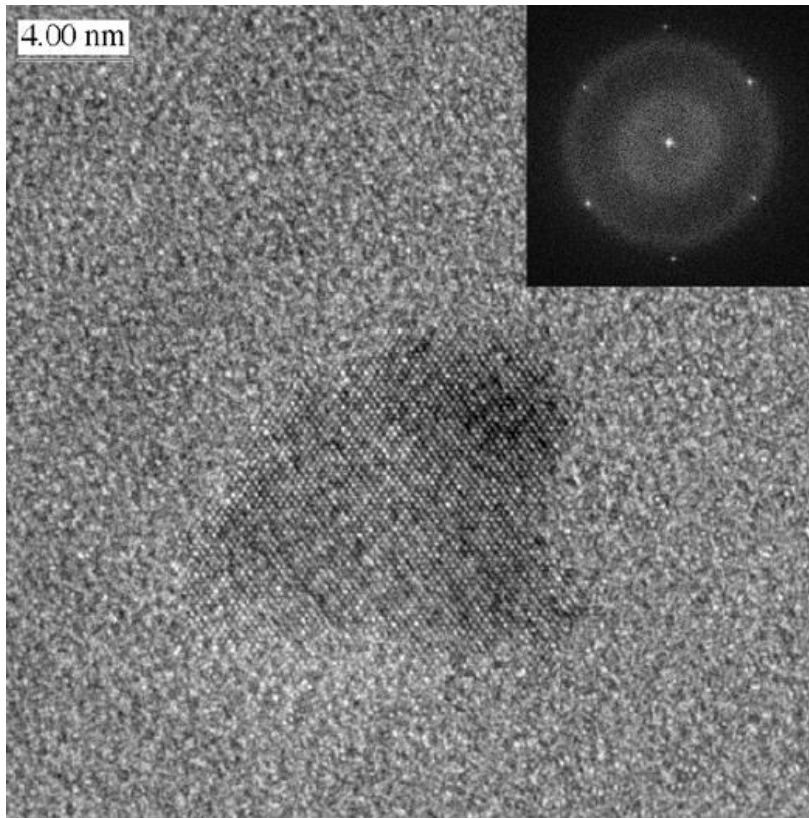
Nanocrystallization

Thermal annealing often leads to formation of a nanocrystalline microstructure consisting of about 10 nm fcc-Al grains embedded in an amorphous matrix.



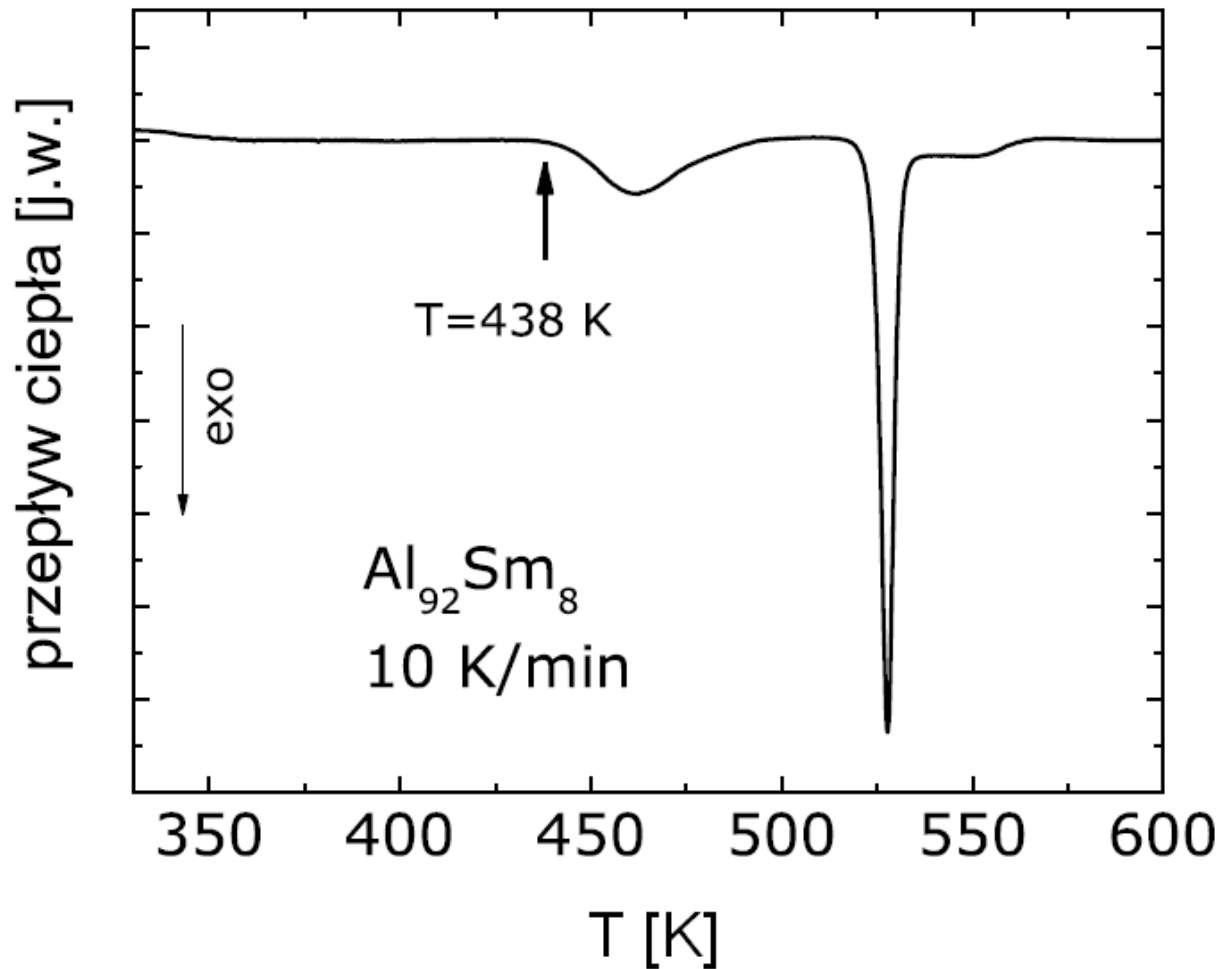
100nm

Microstructure

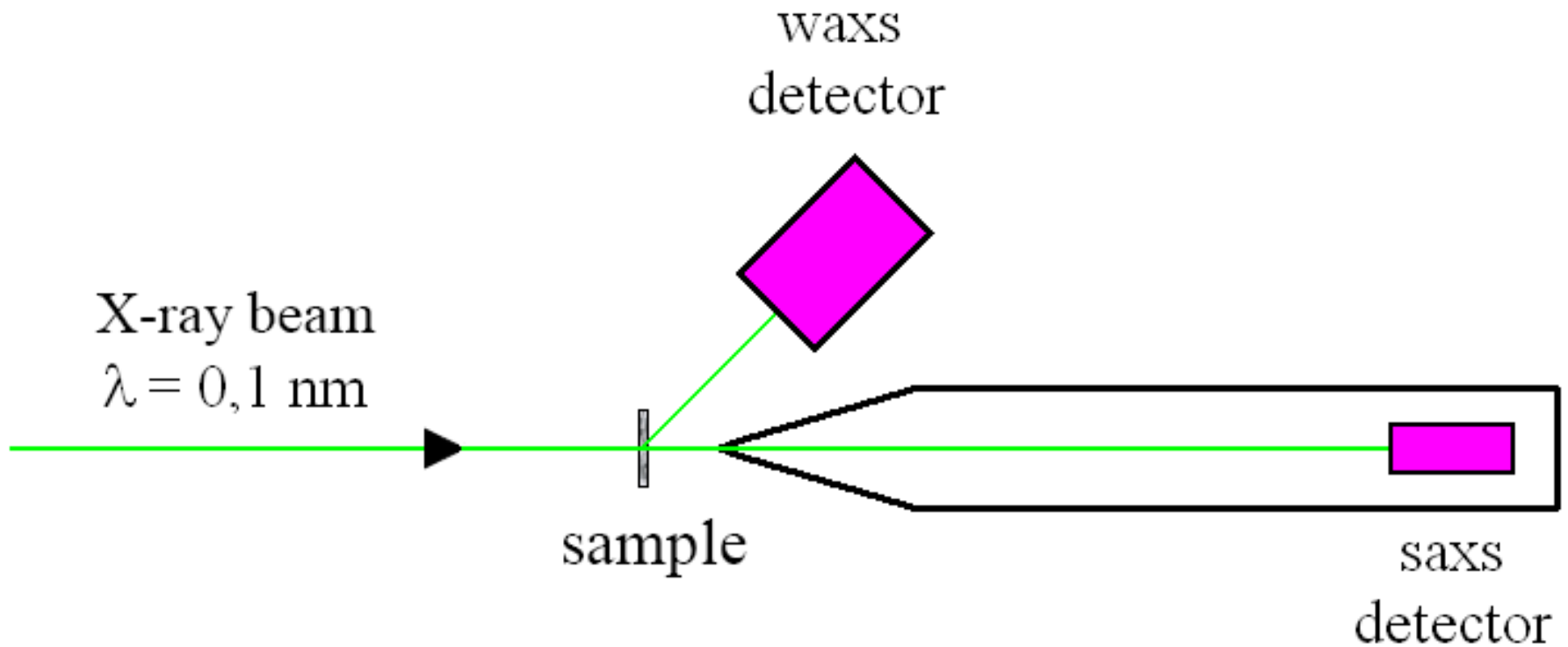


J. Antonowicz, E. Jezierska, **M. Kędzierski**,
A. R. Yavari, A. L. Greer, P. Panine, M. Sztucki
**Early stages of phase separation and
nanocrystallization in Al-rare earth metallic
glasses studied using SAXS/WAXS and HRTEM
methods. (in print)**

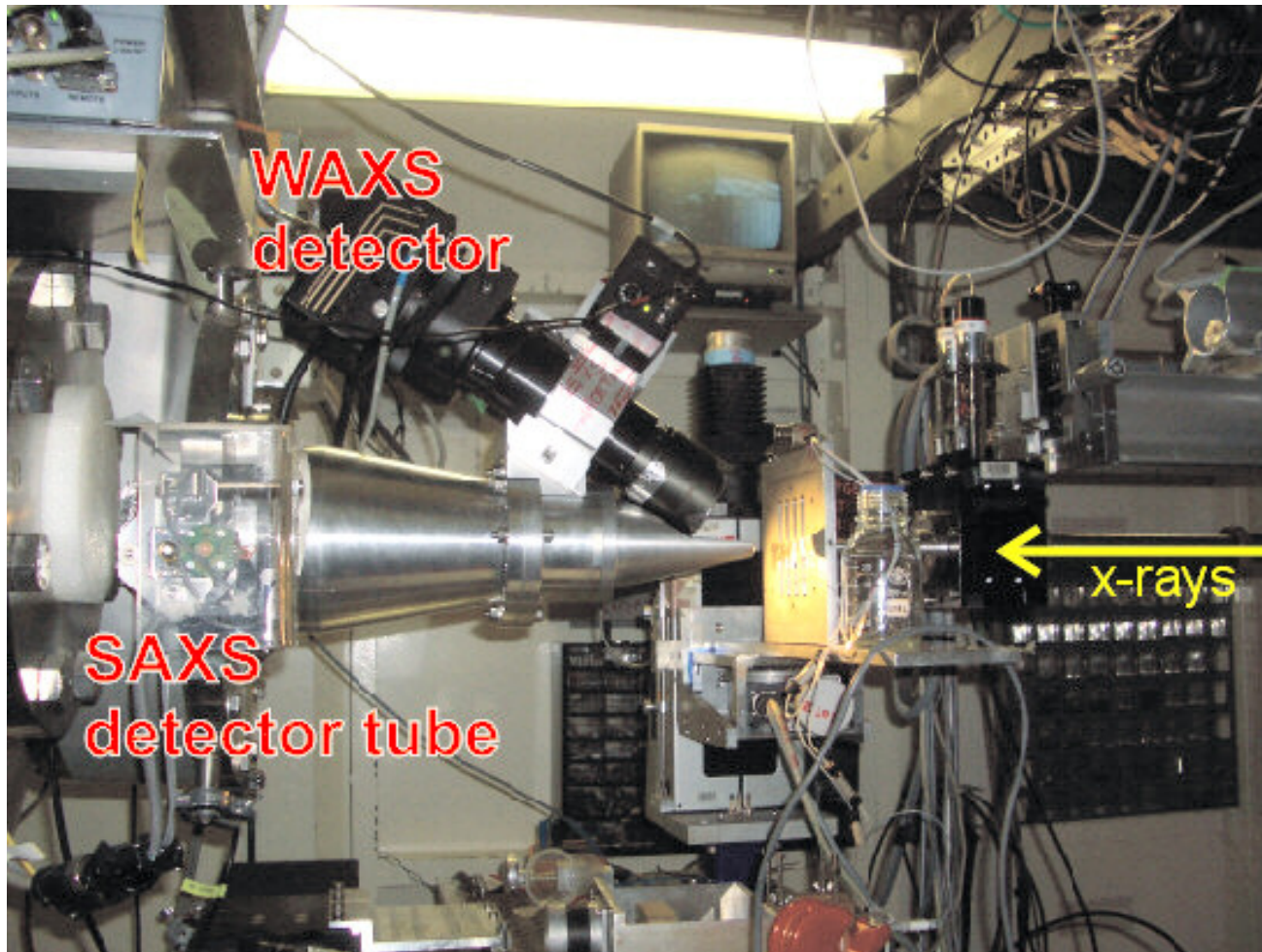
DSC



SAXS/WAXS – experimental setup

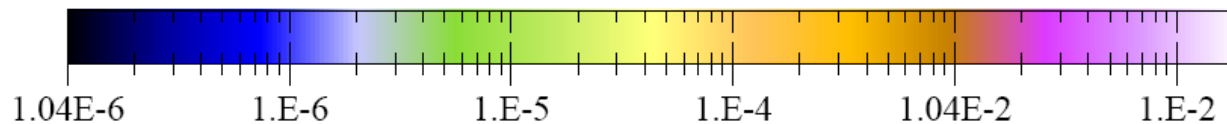
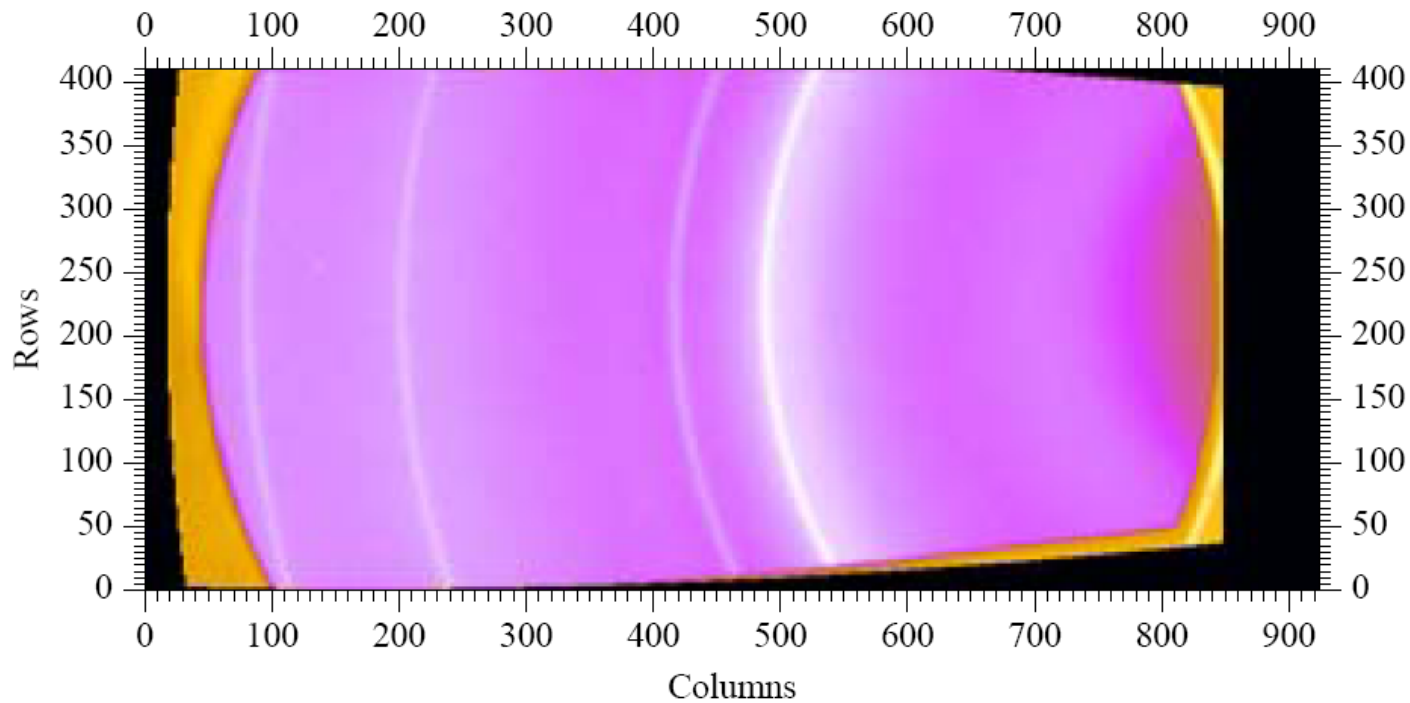


SAXS/WAXS – experimental setup

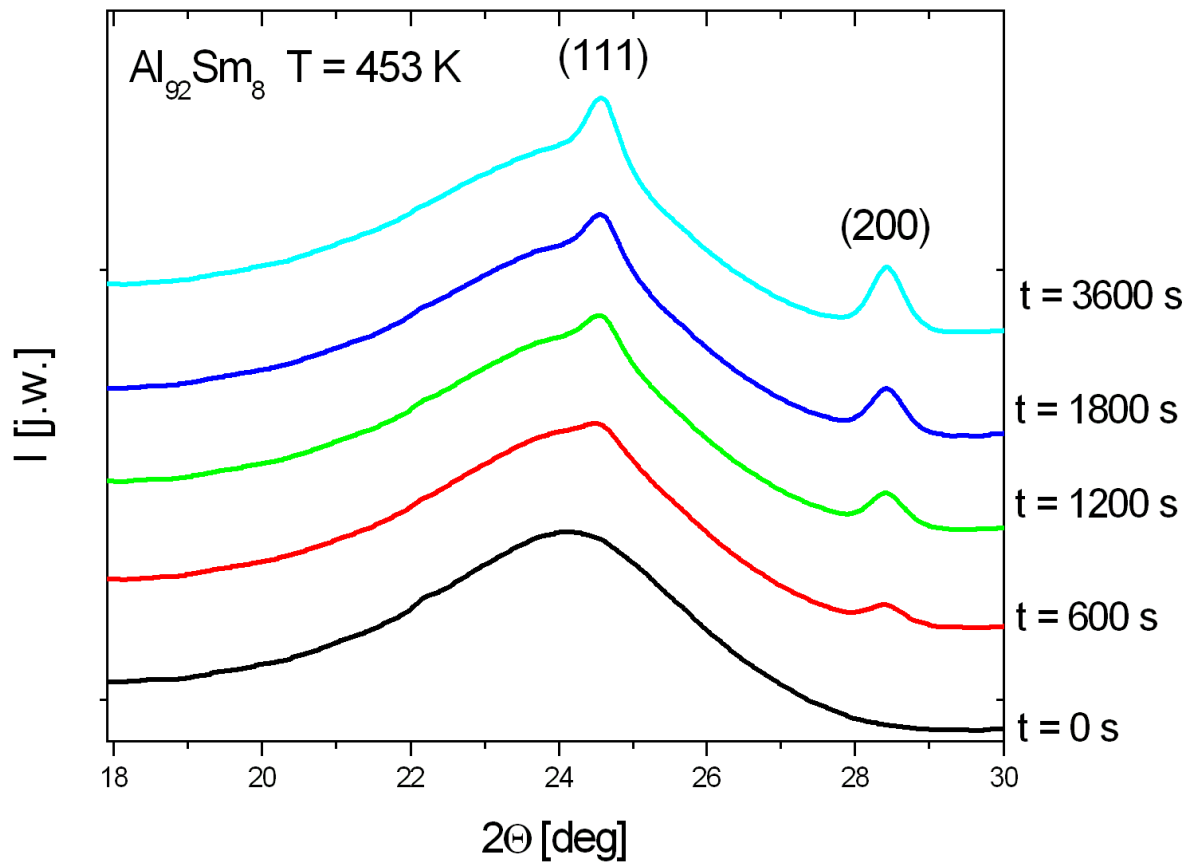


WAXS – 2D spectra

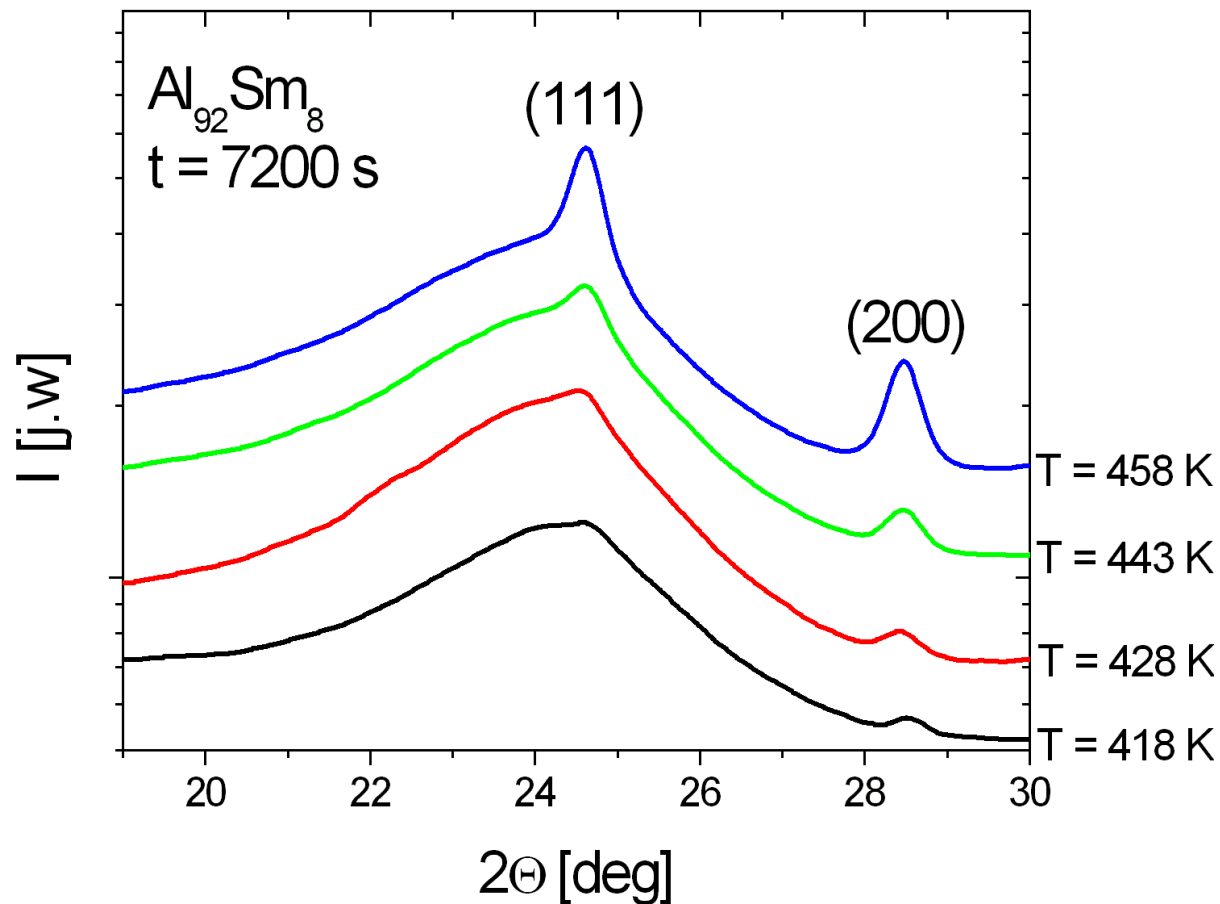
$\text{Al}_{92}\text{Sm}_8$, $T = 180\text{ }^\circ\text{C}$, $t = 3000\text{ s}$



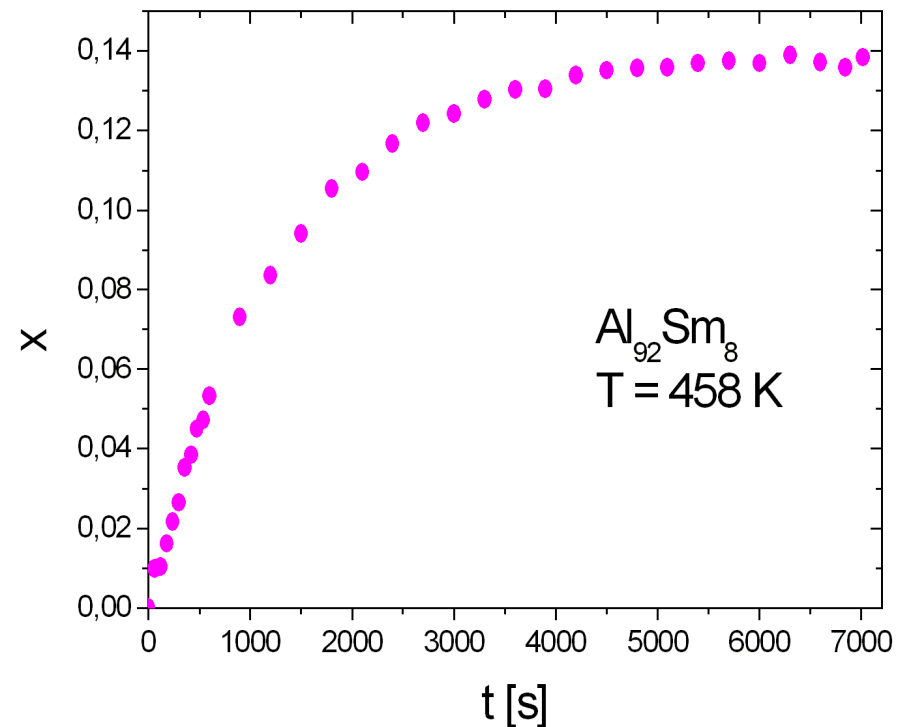
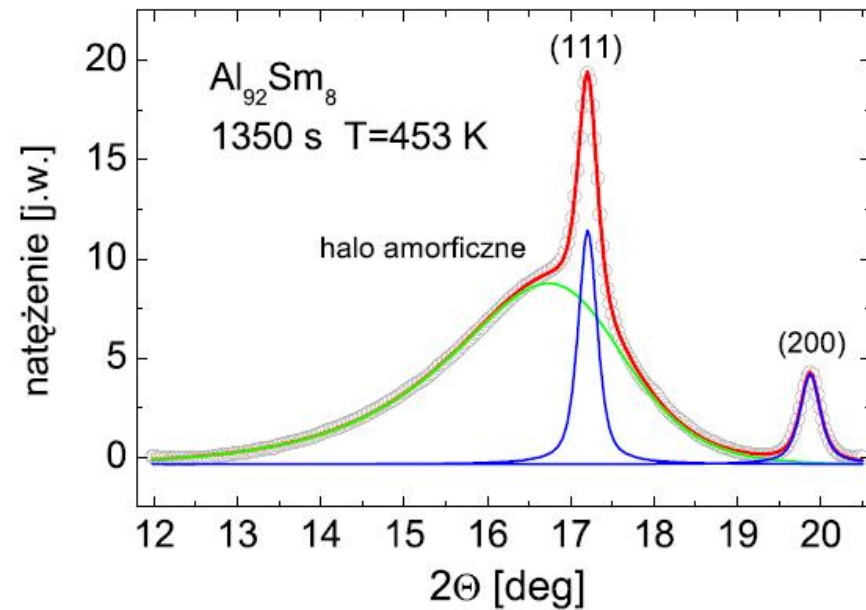
WAXS – 1D spectra



WAXS – 1D spectra



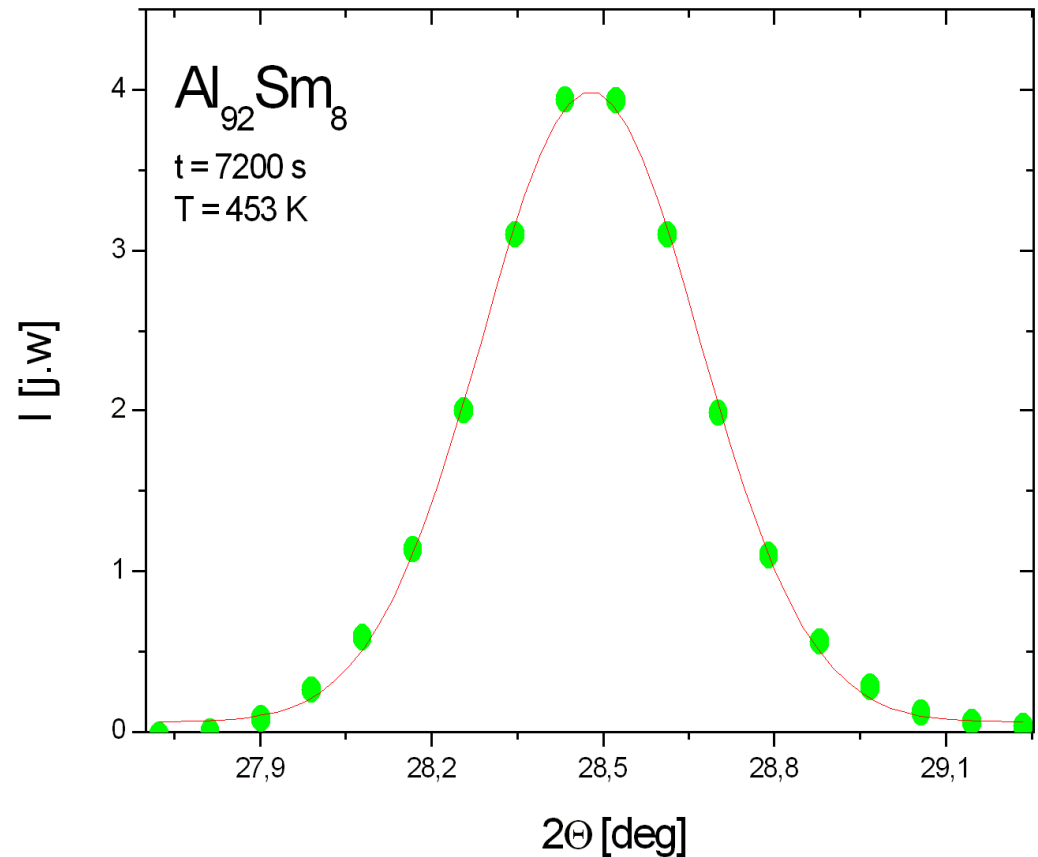
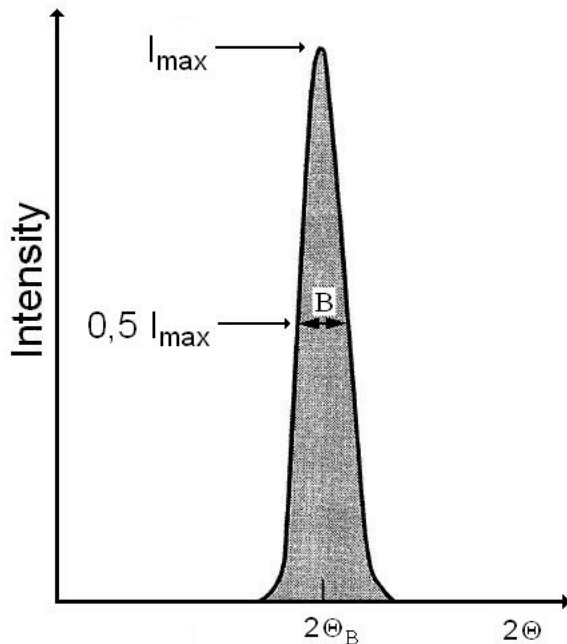
Crystalline volume fraction



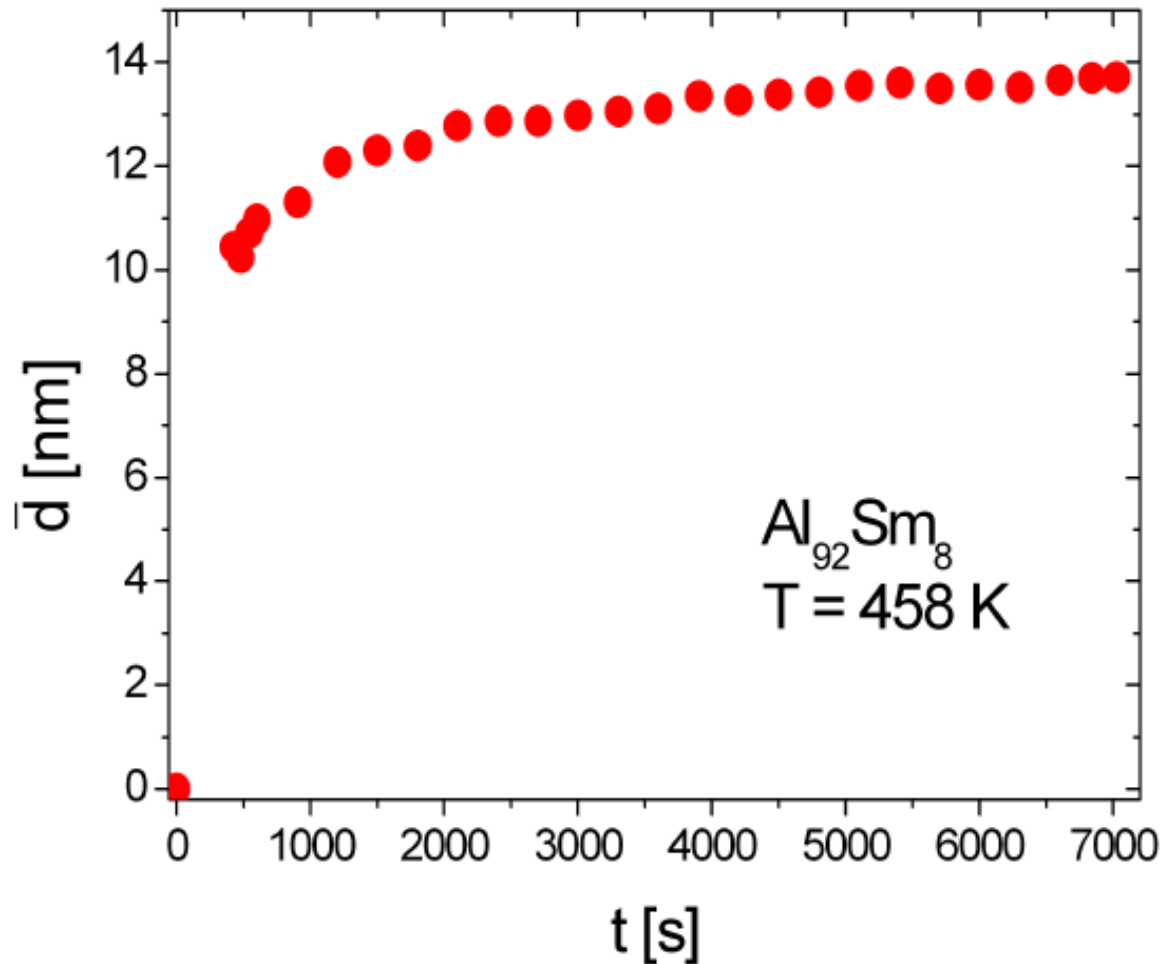
Mean nanocrystal size

Scherrer formula

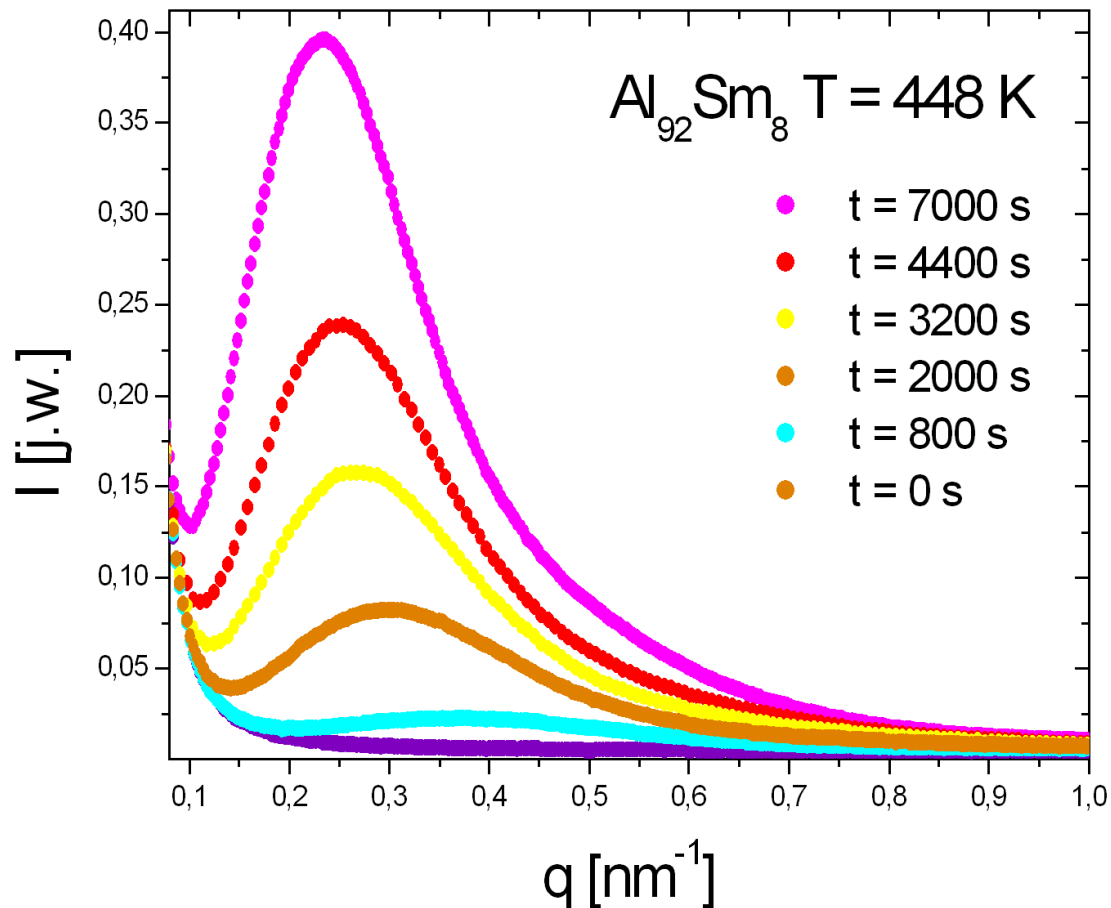
$$\bar{d} = \frac{0,9\lambda}{B \cos \Theta_B}$$



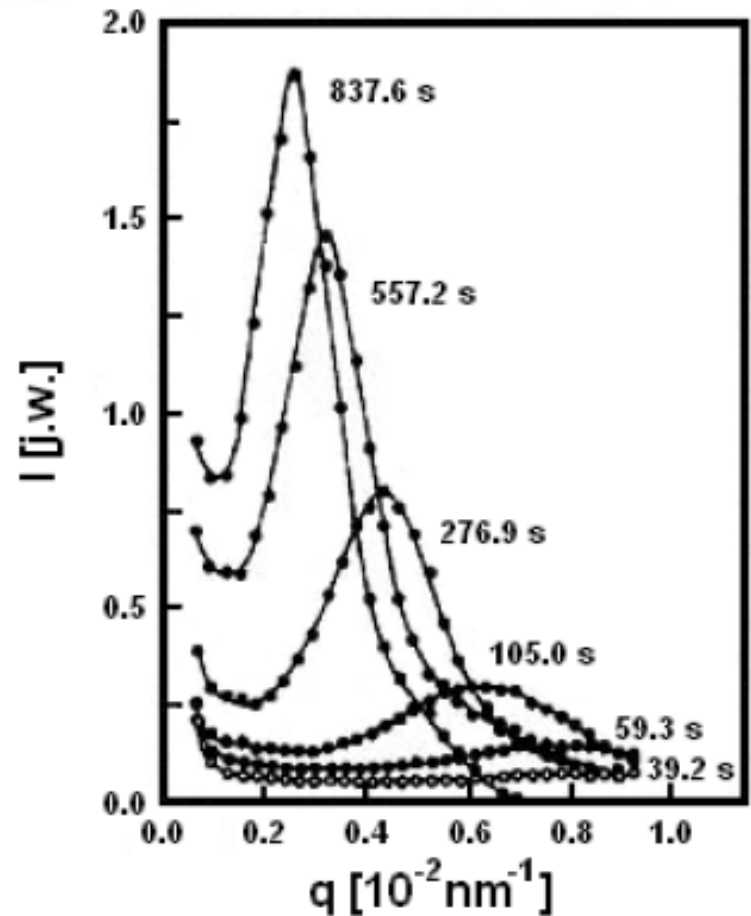
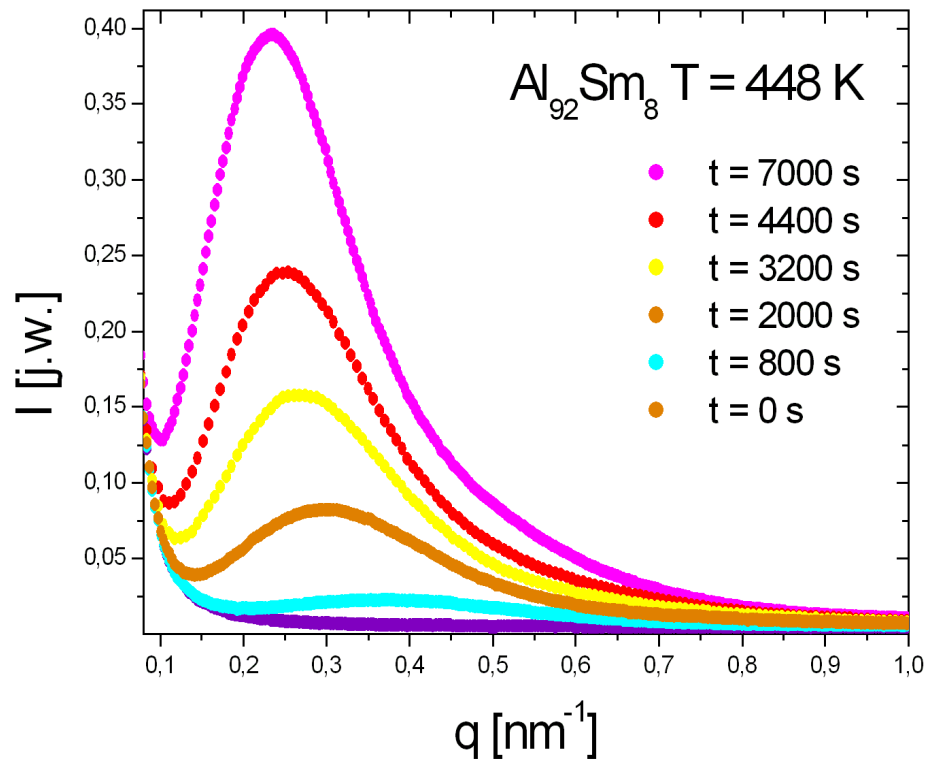
Mean nanocrystal size



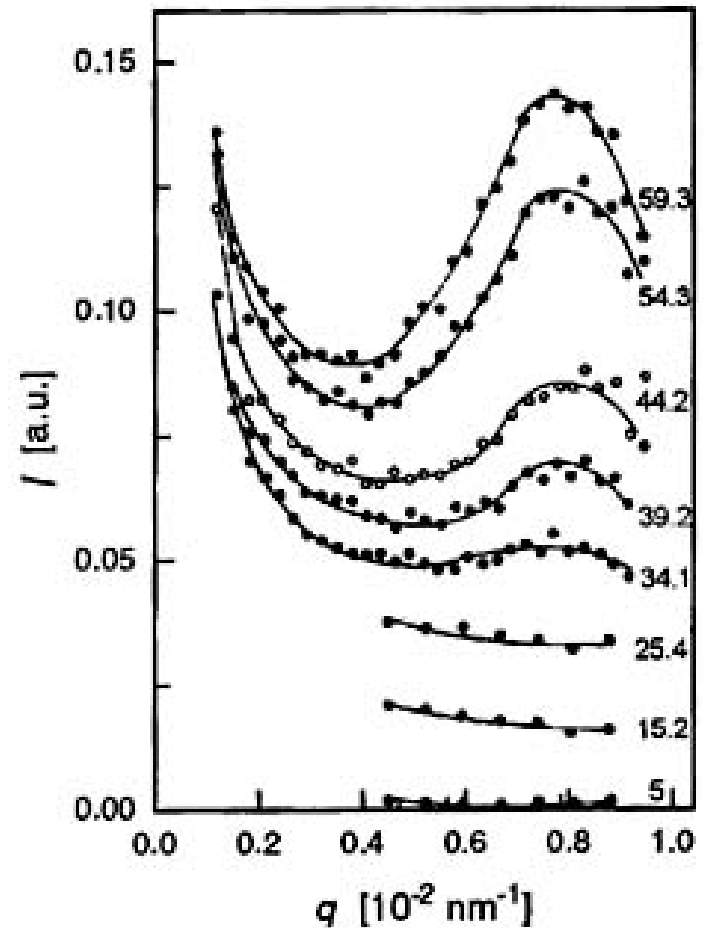
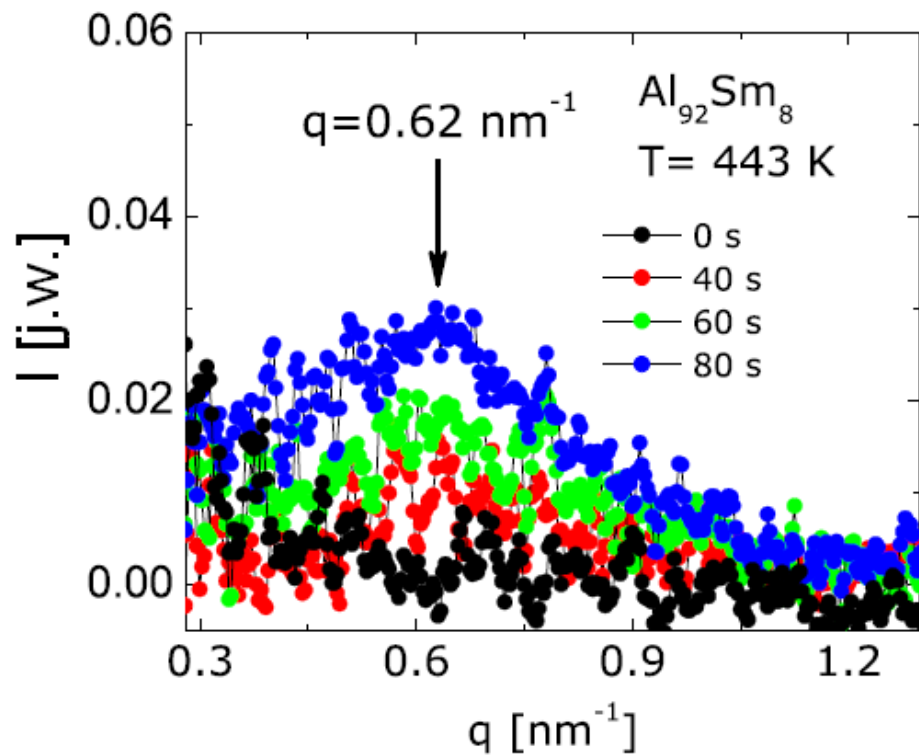
SAXS – 1D spectra



Comparison



Early stages evolution



Amplification factor

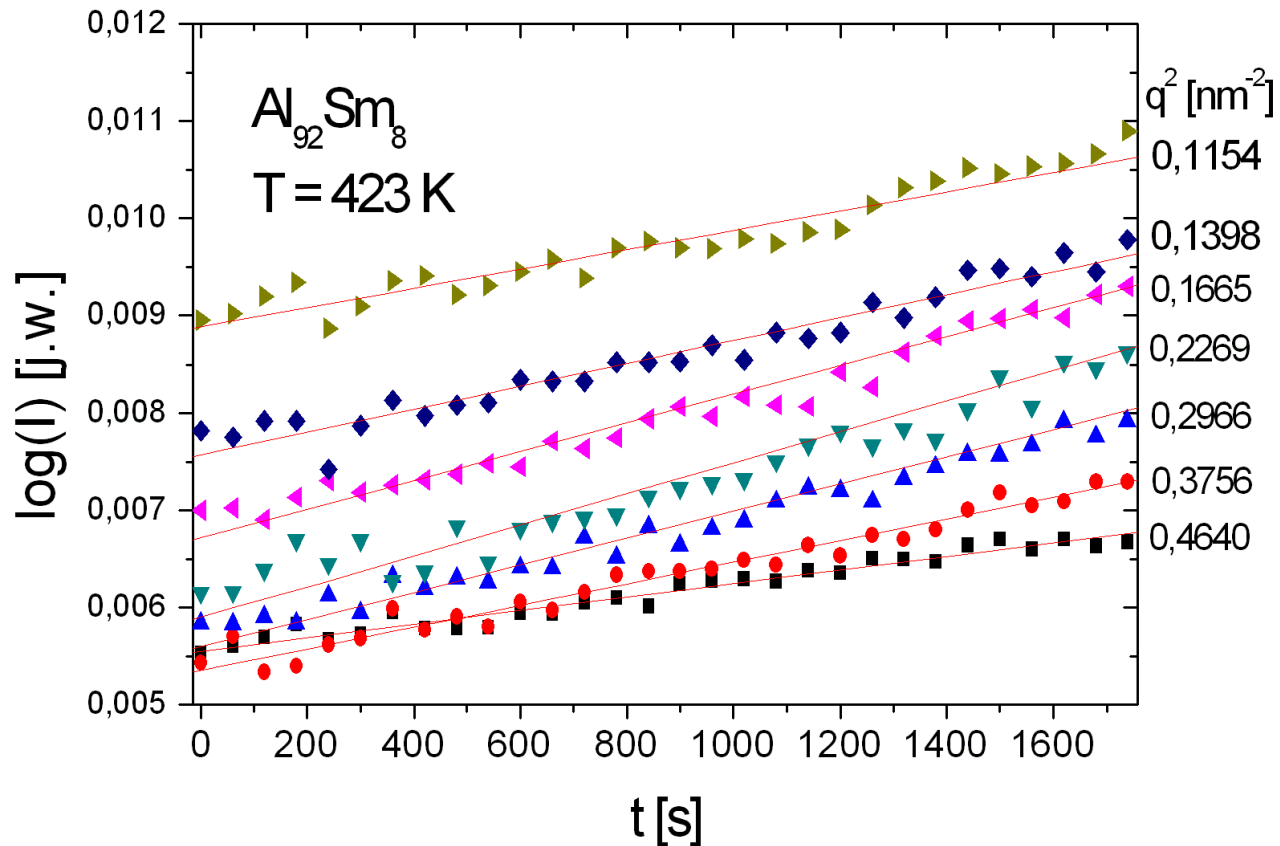
$$\rho(\vec{r}, t) \propto \phi(\vec{r}, t) \cdot f_{Al} + (1 - \phi(\vec{r}, t)) f_{Sm}$$

$$\eta(\vec{r}) = \rho(\vec{r}) - \langle \rho \rangle$$

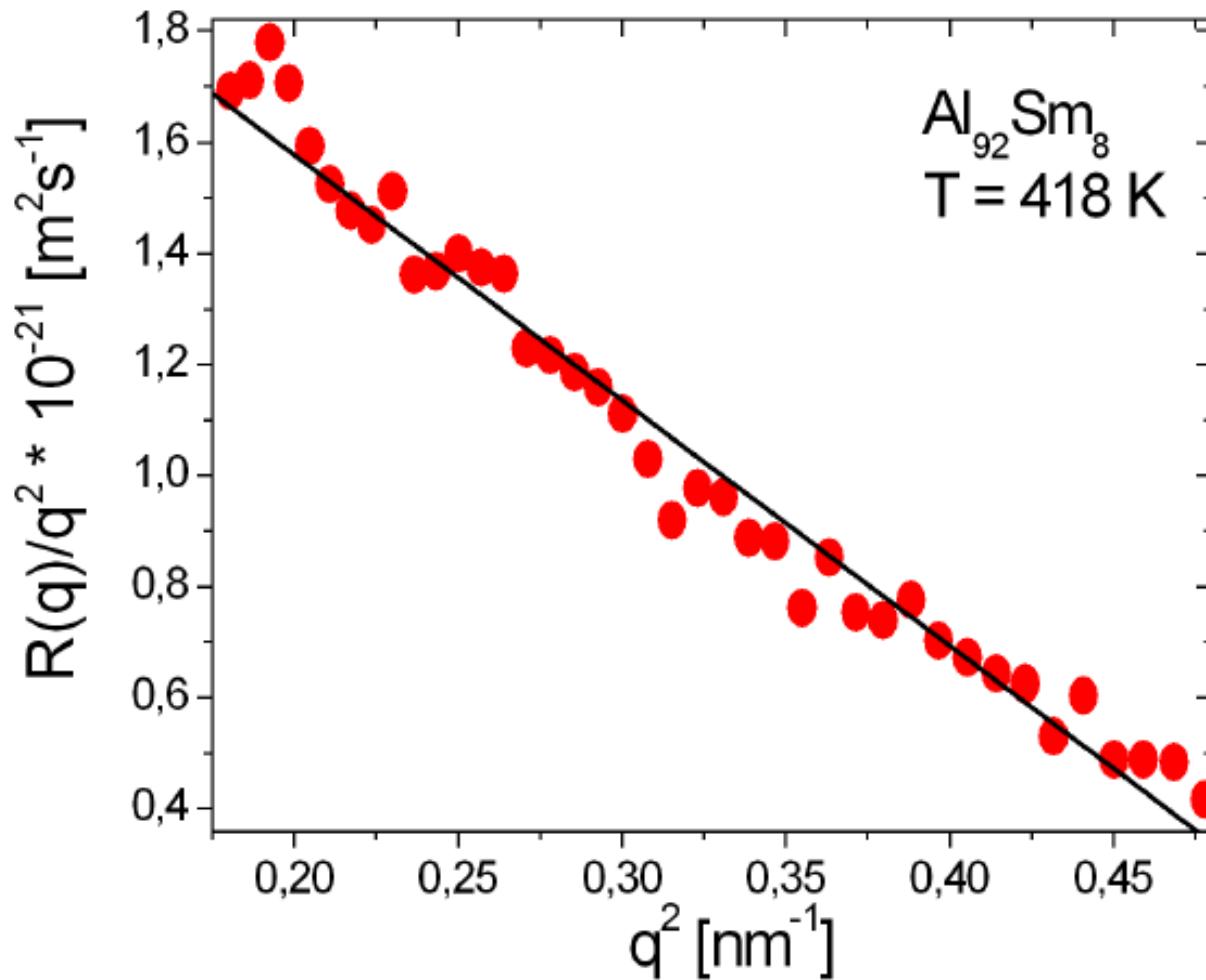
$$\eta(\vec{r}, t) \propto [\phi(\vec{r}, t) - \phi(\vec{r}, 0)](f_{Al} - f_{Sm})$$

$$I \propto \langle \eta^2 \rangle \propto \langle |\phi - \phi_0|^2 \rangle \propto \exp(2R(t) \cdot t)$$

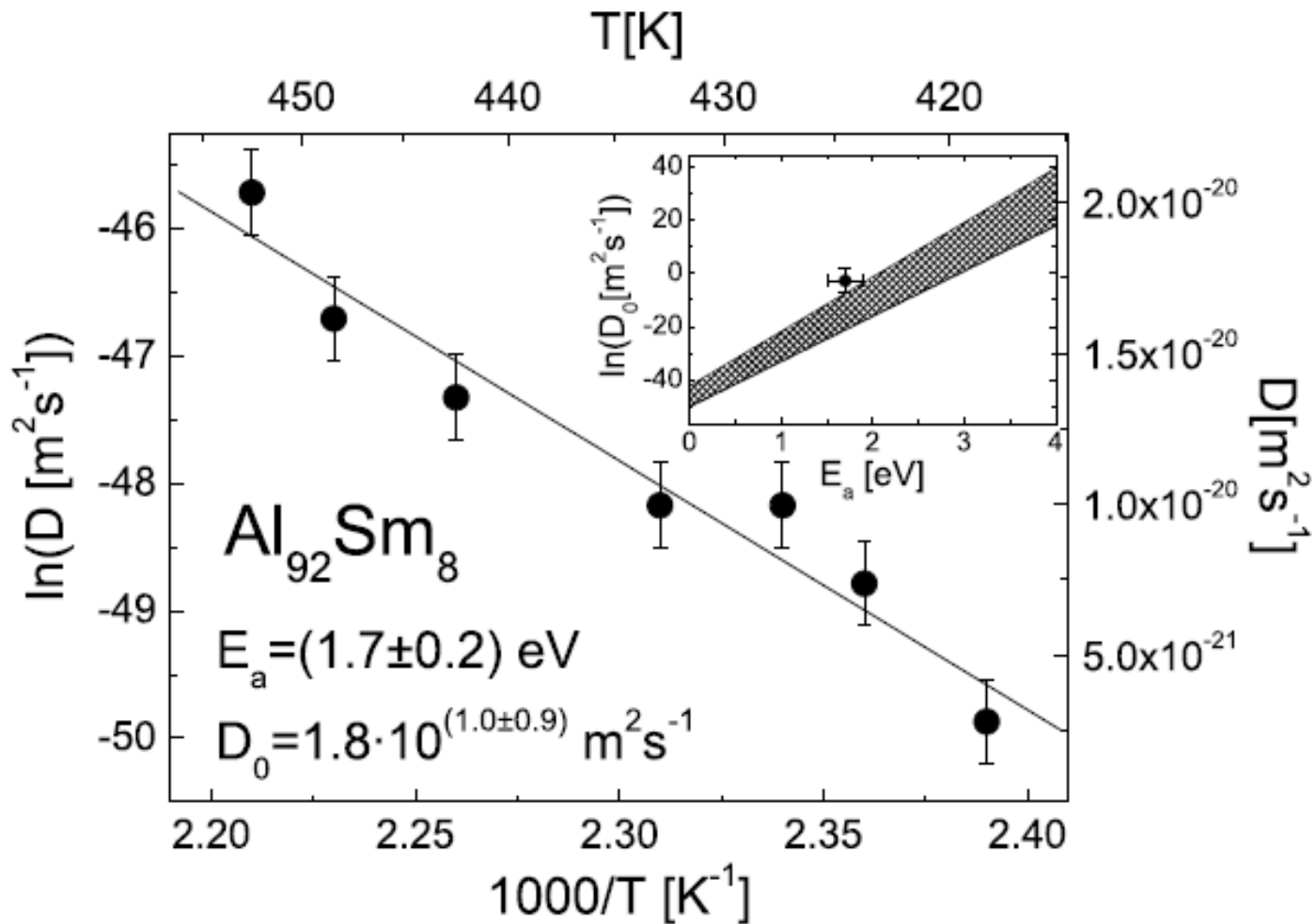
Amplification factor



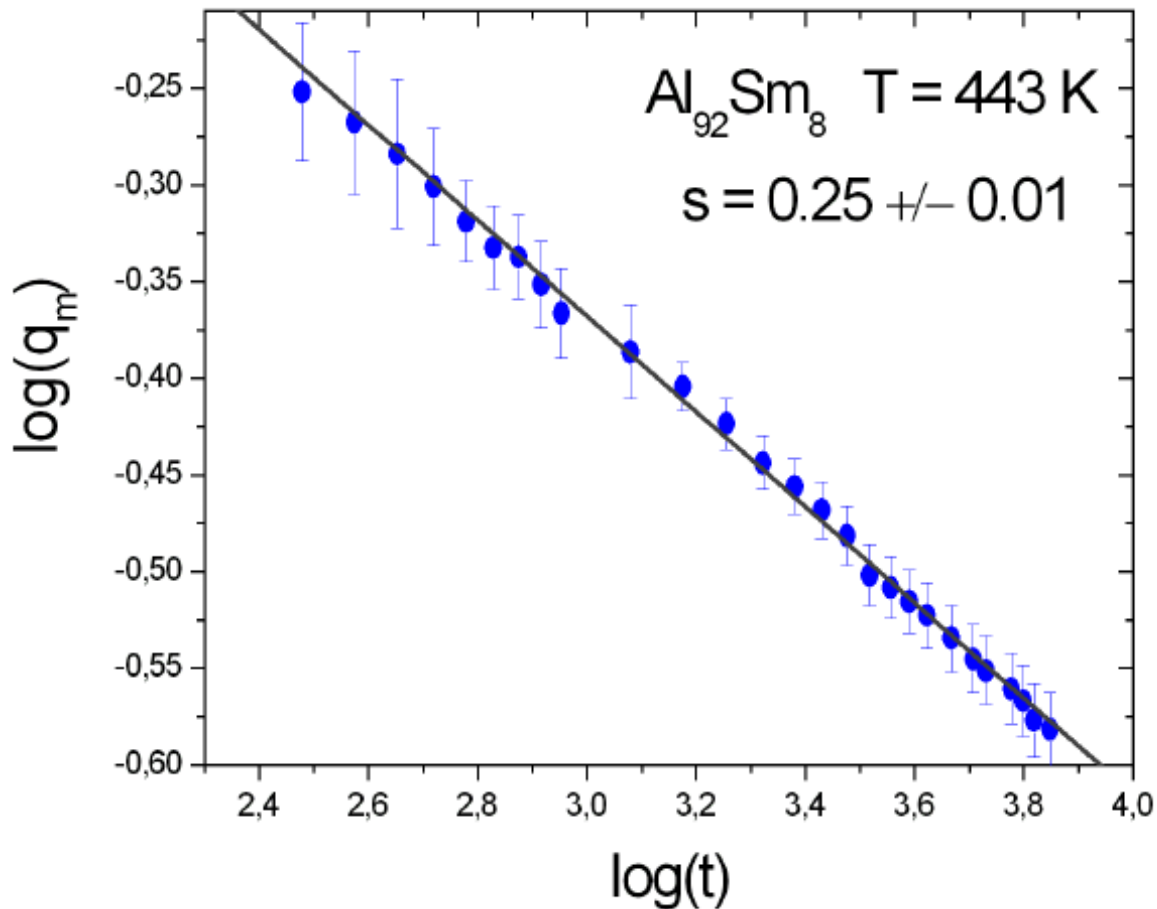
Diffusion coefficient



Activation energy



Scaling



$$L(t) \sim t^s$$



$$q_m(t) \sim t^{-s}$$

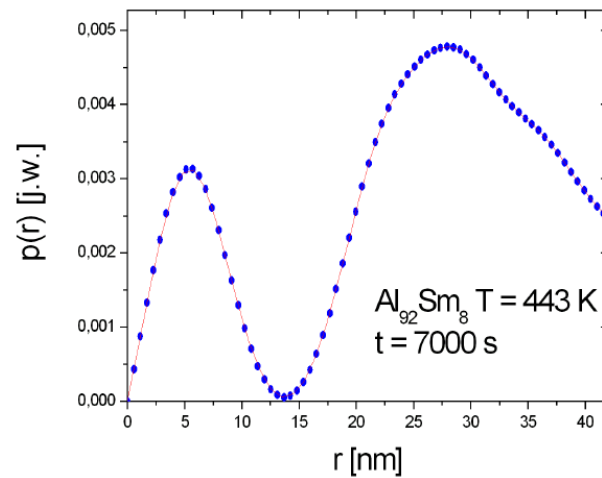
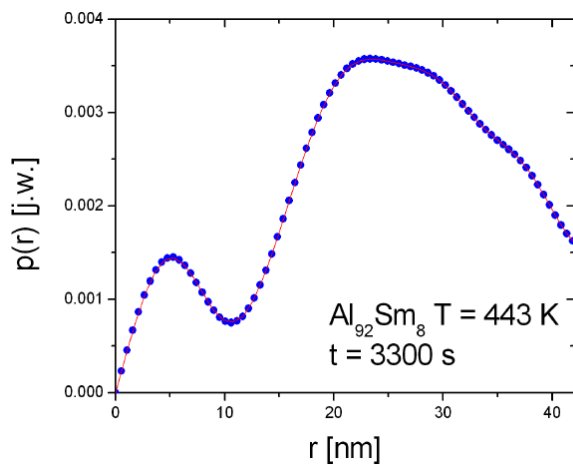
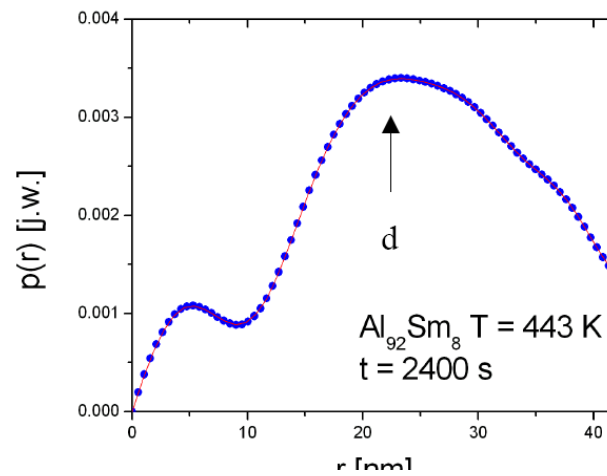
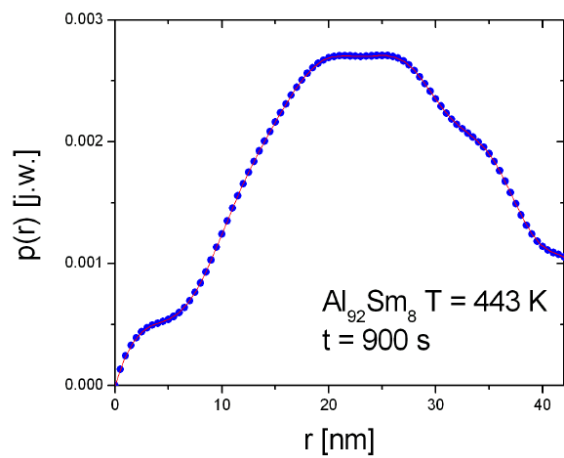
Pair distribution function

$$I(q) = \langle \eta^2 \rangle \int p(r) \cdot \frac{\sin(qr)}{qr} dr$$

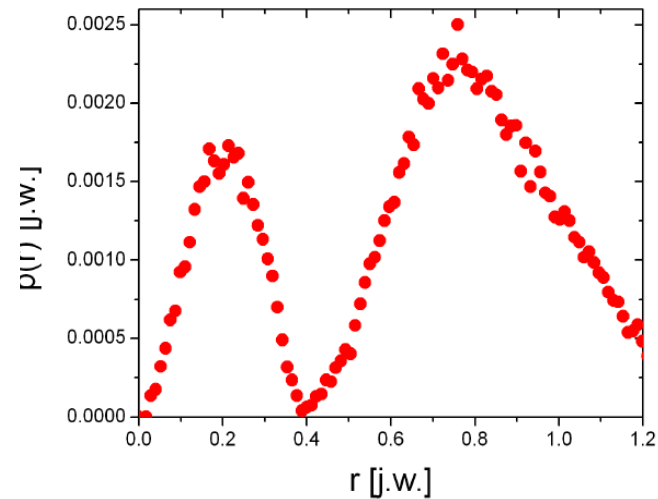
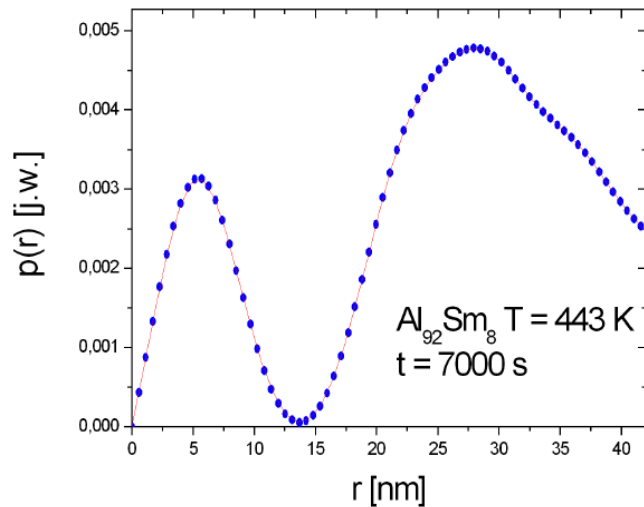
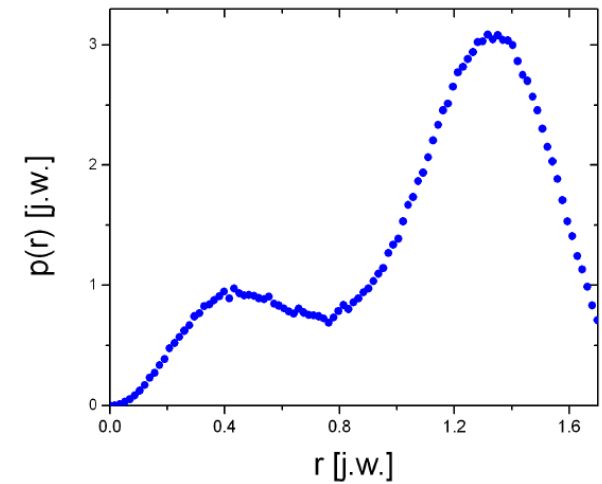
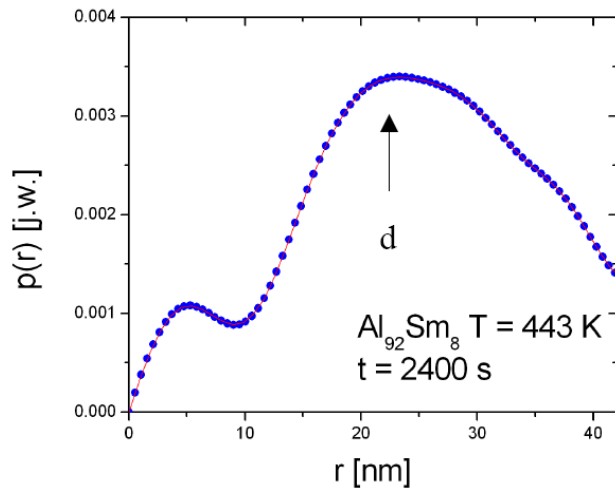


ATSAS
package

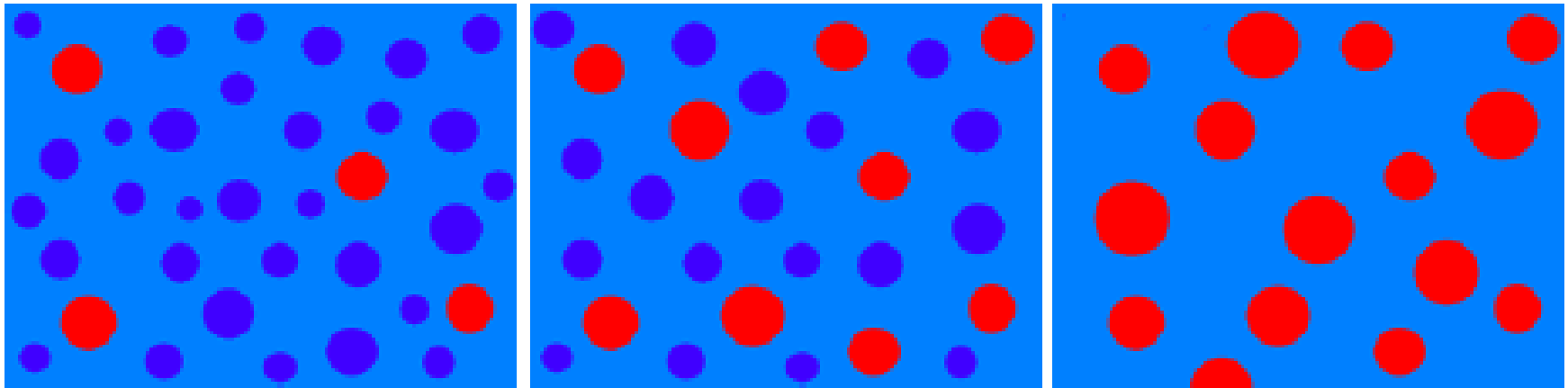
PDF



PDF – MC results



Conclusion – the model



1. Glassy phase initially decomposes into Al-rich and RE-rich amorphous regions
2. Nanocrystals nucleate preferentially inside the Al-rich amorphous regions and their growth is constrained by the region size

References



1. Antonowicz J., Jezierska E., **Kędzierski M.**, Yavari A.R., Greer L., Panine P., Sztucki M.,
Early stages of phase separation and nanocrystallization in Al-rare earth metallic glasses studied using SAXS/WAXS and HRTEM methods.
J. Alloys Comp. (in print)
2. Antonowicz J., **Kędzierski M.**, Jezierska E., Yavari A.R., Greer L., Panine P., Sztucki M.,
Small-angle X-ray scattering from phase-separating amorphous metallic alloys undergoing nanocrystallization
J. Alloys Comp. (submitted)



The End